



UNIVERSITÉ DE NANTES



Reconfigurations d'architectures à composants

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Séminaire interne AeLoS – 27 juin 2013

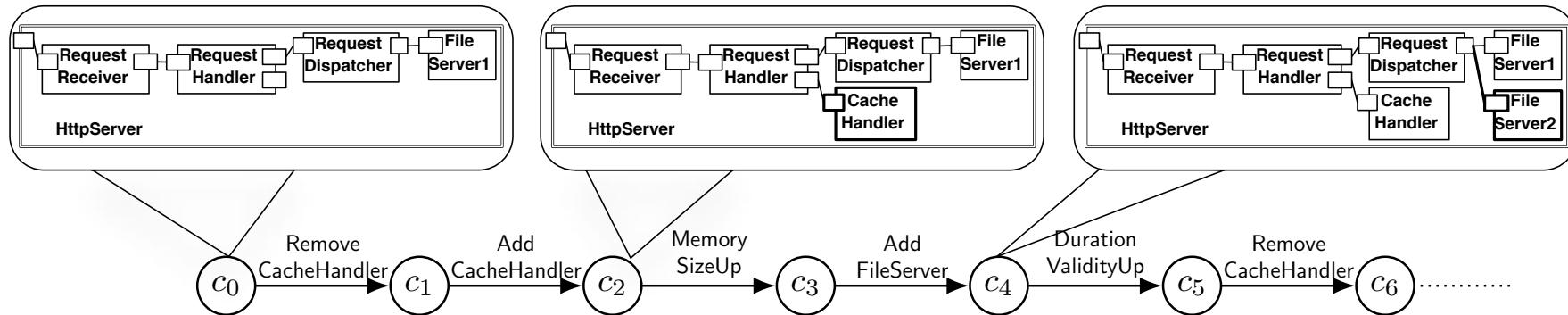


Historique, contexte ...

- Travail avec **Olga Kouchnarenko** et **Julien Dormoy** (Vesontio@FEMTO-ST, Besançon) depuis 2010.
- **Publications :**
 - **[AFADL 10]** J. Dormoy, Al. Dreyfus, and O. Kouchnarenko. *EVA4Fractal : adaptation de composants Fractal basée sur des événements.*
 - **[AICCSA 10]** J. Dormoy and O. Kouchnarenko. *Event-based Adaptation Policies for Fractal Components*
 - **[FACS 10]** J. Dormoy, O. Kouchnarenko, and A. Lanoix. *Using temporal logic for dynamic reconfigurations of components*
 - **[FESCA 11]** A. Lanoix, J. Dormoy, and O. Kouchnarenko. *Combining Proof and Model-checking to Validate Reconfigurable Architectures*
 - **[FACS 11]** J. Dormoy, O. Kouchnarenko, and A. Lanoix. *Runtime Verification of Temporal Patterns for Dynamic Reconfigurations of Components*
 - **[FM 12]** J. Dormoy, O. Kouchnarenko, and A. Lanoix. *When Structural Refinement of Components Keeps Temporal Properties Over Reconfigurations*
 - **[FACS 13 ???] en cours de rédaction**
- **Thèse de Julien soutenue en décembre 2011**

Idées générales / problématique

- Etre capable d'**exprimer** puis de **vérifier** des propriétés sur une séquence de reconfigurations dynamiques
- Utiliser ces propriétés pour **guider le choix** d'une reconfiguration à appliquer

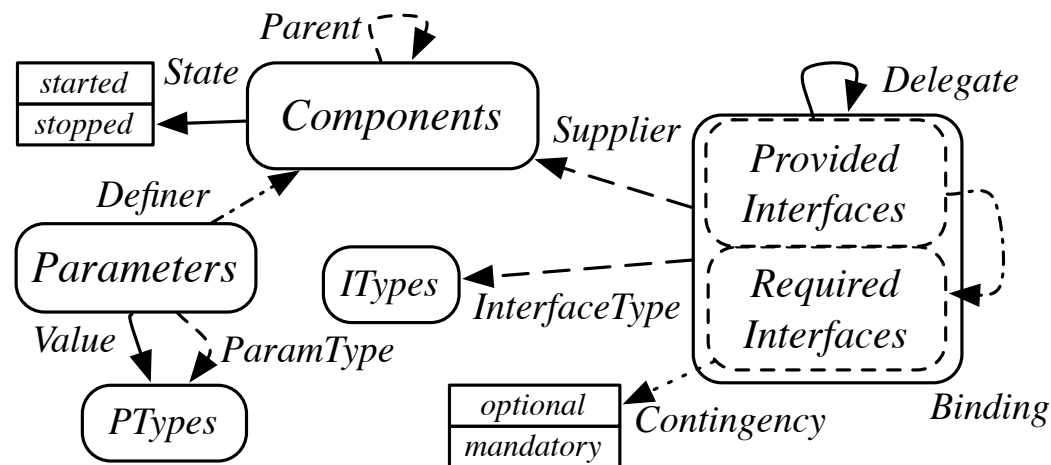


- Etudier l'impact de l'**évolution** de l'architecture
 - remplacement d'un composant simple par un composite
 - ...

Un modèle pour une architecture de composants

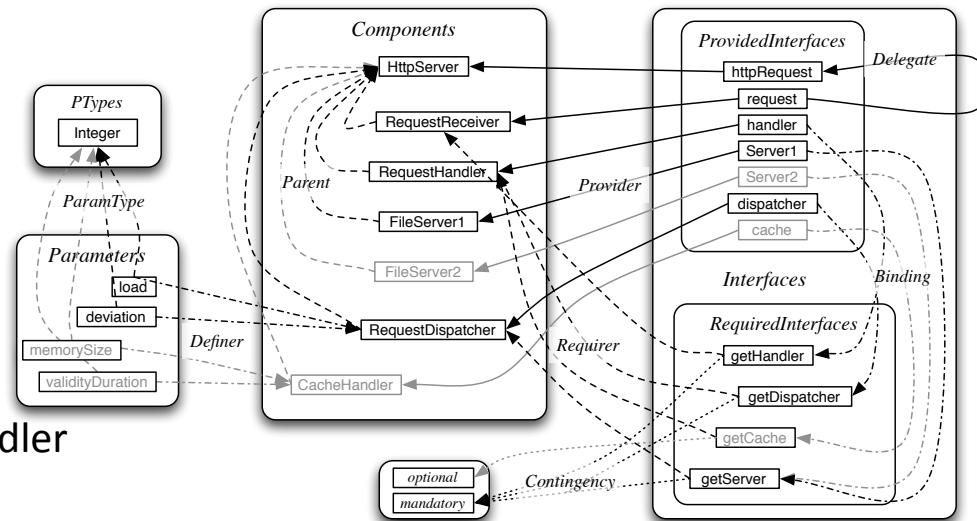
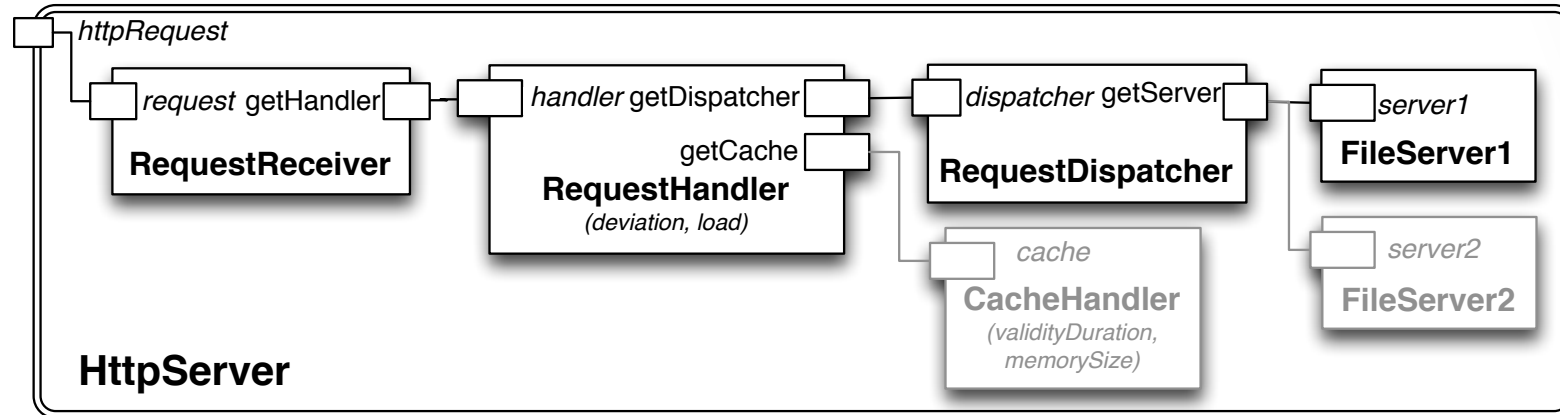
Une configuration $c = \langle Elem, Rel \rangle$

- $Elem = Components \uplus Interfaces \uplus Parameters \uplus Types$
- $Rel = Container \uplus ContainerType \uplus Parent \uplus Binding \uplus Delegate \uplus State \uplus Value$



= Capture la sémantique « architecturale » de FRACTAL, par exemple

Exemple



Reconfigurations possible :

- AddCacheHandler / RemoveCacheHandler
- AddFileServer / removeFileServer
- MemorySizeUp MemorySizeDown
- DurationValidityUp / DurationValidityDown

Configurations consistantes

$$\forall c.(c \in \text{Components} \Rightarrow (\exists ip.(ip \in \text{ProvInterfaces} \wedge \text{Container}(ip) = c)))(\text{CC.1})$$

$$\forall c, c' \in \text{Components}.(c \neq c' \wedge (c, c') \in \text{Parent} \Rightarrow \forall p.(p \in \text{Parameters} \Rightarrow \text{Container}(p) \neq c'))(\text{CC.2})$$

$$\forall c, c' \in \text{Components}..((c, c') \in \text{Parent}^+ \Rightarrow c \neq c')(\text{CC.3})$$

$$\forall ip \in \text{ProvInterfaces}, \forall ir \in \text{ReqInterfaces} . \left(\text{Binding}(ip) = ir \Rightarrow \begin{array}{l} \text{InterfaceType}(ip) = \text{InterfaceType}(ir) \\ \wedge \text{Container}(ip) \neq \text{Container}(ir) \end{array} \right)(\text{CC.4})$$

$$\forall ip \in \text{ProvInterfaces}, \forall ir \in \text{ReqInterfaces} . \left(\text{Binding}(ip) = ir \Rightarrow \exists c \in \text{Components} . \left(\begin{array}{l} (\text{Container}(ip), c) \in \text{Parent} \\ \wedge (\text{Container}(ir), c) \in \text{Parent} \end{array} \right) \right)(\text{CC.5})$$

$$\forall ip \in \text{ProvInterfaces}, \forall ir \in \text{ReqInterfaces}, \forall id \in \text{Interfaces} . \left(\text{Binding}(ip) = ir \Rightarrow \begin{array}{l} \text{Delegate}(ip) \neq id \\ \wedge \text{Delegate}(ir) \neq id \end{array} \right)(\text{CC.6})$$

$$\forall i, i' \in \text{Interfaces} . \left(\text{Delegate}(i) = i' \Rightarrow \begin{array}{l} \forall ip.(ip \in \text{ProvInterfaces} \Rightarrow \text{Binding}(ip) \neq i) \\ \wedge \forall ir.(ir \in \text{ReqInterfaces} \Rightarrow \text{Binding}(i) \neq ir) \end{array} \right)(\text{CC.7})$$

$$\forall i, i' \in \text{Interfaces}..(\text{Delegate}(i) = i' \wedge i \in \text{ProvInterfaces} \Rightarrow i' \in \text{ProvInterfaces})(\text{CC.8})$$

$$\forall i, i' \in \text{Interfaces}..(\text{Delegate}(i) = i' \wedge i \in \text{ReqInterfaces} \Rightarrow i' \in \text{ReqInterfaces})(\text{CC.9})$$

$$\forall i, i' \in \text{Interfaces} . \left(\text{Delegate}(i) = i' \Rightarrow \begin{array}{l} \text{InterfaceType}(i) = \text{InterfaceType}(i') \\ \wedge (\text{Container}(i), \text{Container}(i')) \in \text{Parent} \end{array} \right)(\text{CC.10})$$

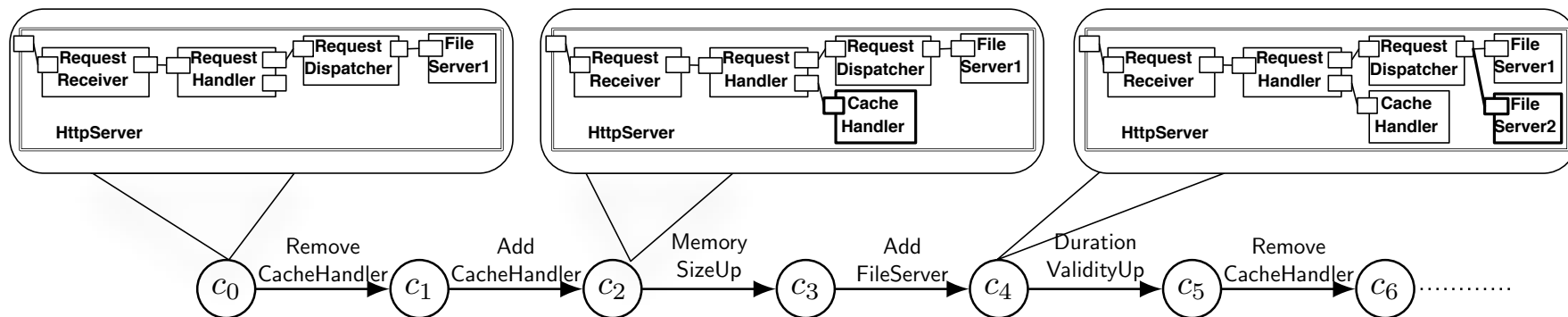
$$\forall i, i', i'' \in \text{Interfaces} . \left(\begin{array}{l} (\text{Delegate}(i) = i' \wedge \text{Delegate}(i) = i'' \Rightarrow i' = i'') \\ \wedge (\text{Delegate}(i) = i'' \wedge \text{Delegate}(i') = i'' \Rightarrow i = i') \end{array} \right)(\text{CC.11})$$

$$\forall ir \in \text{ReqInterfaces} . \left(\begin{array}{l} \text{State}(\text{Supplier}(ir)) = \text{started} \\ \wedge \text{Contingency}(ir) = \text{mandatory} \end{array} \Rightarrow \exists i \in \text{Interfaces} . \left(\begin{array}{l} \text{Binding}(i) = ir \\ \vee \\ \text{Delegate}(i) = ir \end{array} \right) \right)(\text{CC.12})$$

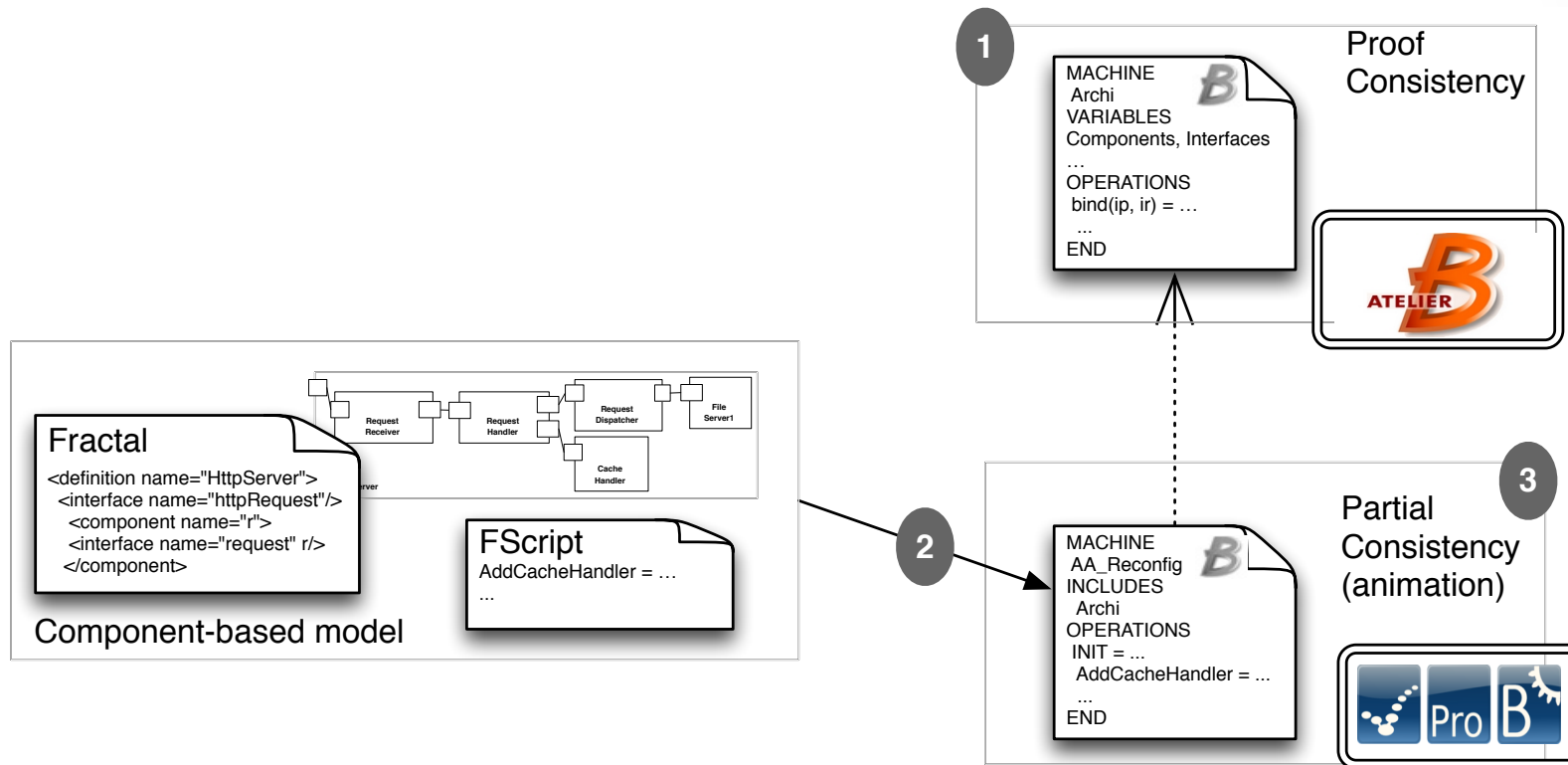
Un modèle des séquences de reconfigurations

= un système de transition $S = \langle C, C0, R, \rightarrow \rangle$

- $C = \{c, c1, c2, \dots\}$: ensemble de configurations **consistantes**
- $C0 \subseteq C$: des configurations initiales
- **R** : ensemble des opérations de reconfiguration
- \rightarrow : relation de reconfiguration



Validation du modèle grâce aux outils B



Validation du modèle (2)

```

MACHINE
  Archi
VARIABLES
  Components, Interfaces, ProvInterfaces, ReqInterfaces, Supplier, Parent, Binding, ...
INVARIANT
  ProvInterfaces ⊆ Interfaces
  ∧ ReqInterfaces ⊆ Interfaces
  ∧ ProvInterfaces ∪ ReqInterfaces = Interfaces ∧ ProvInterfaces ∩ ReqInterfaces = ∅
  ∧ Supplier ∈ Interfaces → Components
  ∧ Parent ∈ Components ↔ Components
  ∧ Binding ∈ ProvInterfaces → ReqInterfaces
  ∧ closure1(Parent) ∩ id(Components) = ∅ // CC.3      CC.4 ∧ CC.5
  ∧ ∀ (ip, ir).( ip → ir ∈ Binding ⇒ Provider(ip) ≠ Requirer(ir) ∧ Parent(Supplier(iprov)) = Parent(Supplier(ireq)) )
  ∧ ...
OPERATIONS
bind(ip, ir) =
PRE
  ip ∈ ProvInterfaces ∧ ir ∈ ReqInterfaces ∧ ip→ir ∉ Binding
  ∧ ip ∉ dom(Binding) ∧ ip ∉ dom(Delegate) ∧ ir ∉ dom(Delegate)
THEN
  Binding(ip) := ir
END ;
...
END
  
```

Validation des contraintes de consistance par preuve



```

MACHINE
  Reconfig
INCLUDES
  Archi
OPERATIONS
INIT =
BEGIN
  Components := { HttpServer, RequestReceiver, RequestHandler, CacheHandler, RequestDispatcher,
                  FileServer1, FileServer2 }
  || ProvInterfaces := { httpRequest, request, handler, cache, dispatcher, server1, server2 }
  || ReqInterfaces := { getHandler, getDispatcher, getCache, getServer }
  || Parent := { RequestReceiver→HttpServer, RequestHandler→HttpServer, CacheHandler→HttpServer,
                RequestDispatcher→HttpServer, FileServer1→HttpServer }
  || Binding := { handler→getHandler, cache→getCache, dispatcher→getDispatcher, server1→getServer }
  ...
END ;
AddCacheHandler =
BEGIN
  instantiate (CacheHandler) ;
  add(CacheHandler, HttpServer) ;
  bind(cache, getCache) ;
  start (CacheHandler)
END ;
...
END
  
```

Vérification partielle par animation/model-checking



FTPL : une logique temporelle pour des séquences de reconfigurations

- Inspirée d'une extension temporelle de JML, etc.

$\langle temp \rangle$::=	after $\langle event \rangle$ $\langle temp \rangle$ before $\langle event \rangle$ $\langle trace \rangle$
		$\langle trace \rangle$ until $\langle event \rangle$
$\langle trace \rangle$::=	always config eventually config
		$\langle trace \rangle \wedge \langle trace \rangle$ $\langle trace \rangle \vee \langle trace \rangle$
$\langle event \rangle$::=	<i>ope normal</i> <i>ope exceptional</i> <i>ope terminates</i>

For the events:

$\llbracket \sigma(i) \models \textit{ope normal} \rrbracket$	=	$\begin{cases} \top & \text{if } i > 0 \wedge \sigma(i-1) \neq \sigma(i) \wedge \sigma(i-1) \xrightarrow{ope} \sigma(i) \in \rightarrow \\ \perp & \text{otherwise} \end{cases}$
$\llbracket \sigma(i) \models \textit{ope exceptional} \rrbracket$	=	$\begin{cases} \top & \text{if } i > 0 \wedge \sigma(i-1) = \sigma(i) \wedge \sigma(i-1) \xrightarrow{ope} \sigma(i) \in \rightarrow \\ \perp & \text{otherwise} \end{cases}$
$\llbracket \sigma(i) \models \textit{ope terminates} \rrbracket$	=	$\begin{cases} \top & \text{if } \llbracket \sigma(i) \models \textit{ope normal} \rrbracket = \top \vee \llbracket \sigma(i) \models \textit{ope exceptional} \rrbracket = \top \\ \perp & \text{otherwise} \end{cases}$

For the trace properties:

$\llbracket \sigma \models \textit{always } cp \rrbracket$	=	$\begin{cases} \top & \text{if } \forall i. (i \geq 0 \Rightarrow \llbracket \sigma(i) \models cp \rrbracket = \top) \\ \perp & \text{otherwise} \end{cases}$
$\llbracket \sigma \models \textit{eventually } cp \rrbracket$	=	$\begin{cases} \top & \text{if } \exists i. (i \geq 0 \wedge \llbracket \sigma(i) \models cp \rrbracket = \top) \\ \perp & \text{otherwise} \end{cases}$
$\llbracket \sigma \models \textit{trp}_1 \wedge \textit{trp}_2 \rrbracket$	=	$\llbracket \sigma \models \textit{trp}_1 \rrbracket \wedge \llbracket \sigma \models \textit{trp}_2 \rrbracket$
$\llbracket \sigma \models \textit{trp}_1 \vee \textit{trp}_2 \rrbracket$	=	$\llbracket \sigma \models \textit{trp}_1 \rrbracket \vee \llbracket \sigma \models \textit{trp}_2 \rrbracket$

For the temporal properties:

$\llbracket \sigma \models \textit{after } e \textit{ tpp} \rrbracket$	=	$\begin{cases} \top & \text{if } \forall i. (i \geq 0 \wedge \llbracket \sigma(i) \models e \rrbracket = \top \Rightarrow \llbracket \sigma_i \models \textit{tpp} \rrbracket = \top) \\ \perp & \text{otherwise} \end{cases}$
$\llbracket \sigma \models \textit{before } e \textit{ trp} \rrbracket$	=	$\begin{cases} \top & \text{if } \forall i. (i > 0 \wedge \llbracket \sigma(i) \models e \rrbracket = \top \Rightarrow \llbracket \sigma_0^{i-1} \models \textit{trp} \rrbracket = \top) \\ \perp & \text{otherwise} \end{cases}$
$\llbracket \sigma \models \textit{trp until } e \rrbracket$	=	$\begin{cases} \top & \text{if } \exists i. (i > 0 \wedge \llbracket \sigma(i) \models e \rrbracket = \top \wedge \llbracket \sigma_0^{i-1} \models \textit{trp} \rrbracket = \top) \\ \perp & \text{otherwise} \end{cases}$

Traduction vers LTL
+ model-checking

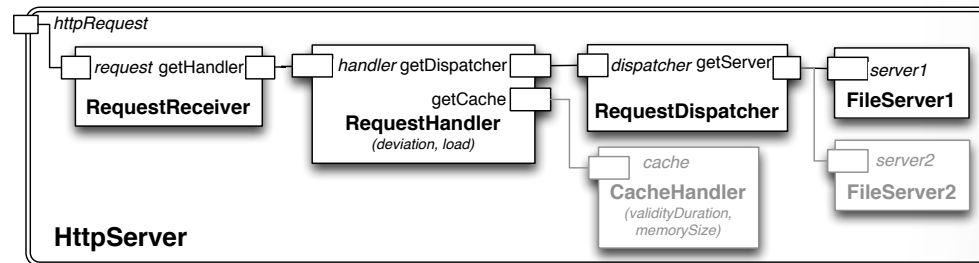


Exemples de propriétés FTPL

- Pour une configuration :

$CacheConnected := \exists cache, getCache \in Interfaces ./$
 $Provider(cache) = CacheHandler$
 $\wedge Requirer(getCache) = RequestHandler$
 $\wedge Binding(cache) = getCache /$

- pour l'ensemble du système :

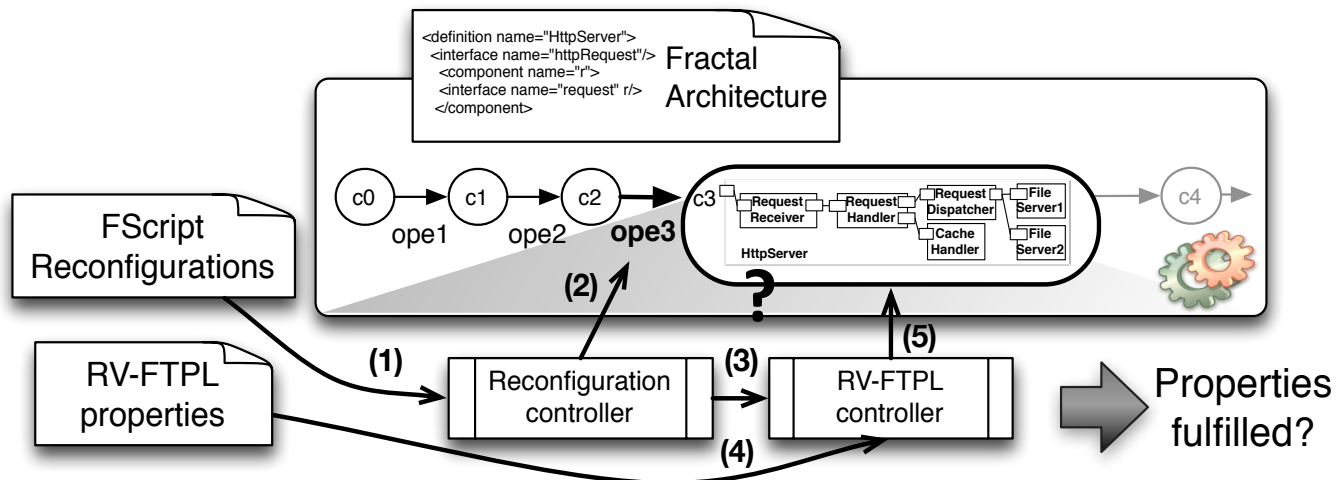
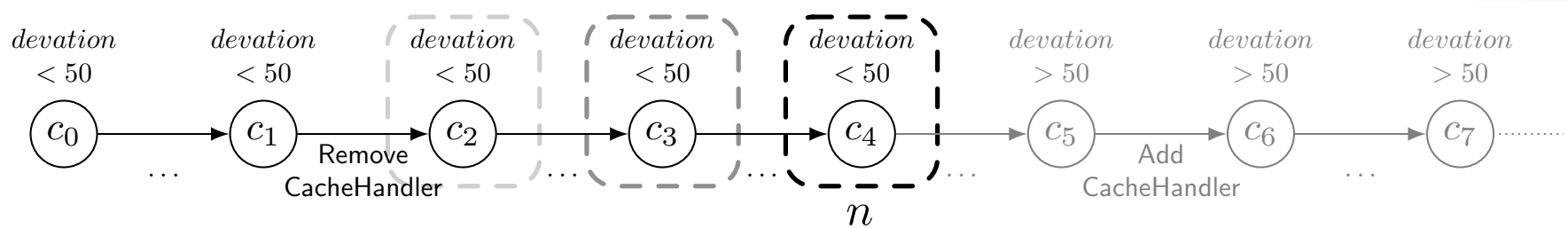


after AddCacheHandler **normal** **always** CacheConnected

after RemoveCacheHandler **terminates**

((eventually deviation > 50) **until** AddCacheHandler **terminates)**

Evaluation à l'exécution de propriétés FTPL



RV-FTPL : « nouvelle » sémantique pour FTPL

- $B4 = \{\perp, \perp^p, \top^p, \top\}$
 - \perp : faux
 - \perp^p : « plutôt » faux
 - \top^p : « plutôt » vrai
 - \top : vrai

$$\begin{aligned}
 [\sigma_0^n(i) \models \text{conf}]_{rv} &= \begin{cases} \top & \text{if } [\sigma_0^n(i) \models \text{conf}] = \top \\ \perp & \text{otherwise} \end{cases} \\
 [\sigma_0^n(i) \models \text{ope normal}]_{rv} &= \begin{cases} \top & \text{if } 0 < i \leq n \wedge \sigma_0^n(i-1) \neq \sigma_0^n(i) \\ & \wedge \sigma_0^n(i-1) \xrightarrow{\text{ope}} \sigma_0^n(i) \in \rightarrow \\ \perp & \text{otherwise} \end{cases} \\
 [\sigma_0^n(i) \models \text{ope exceptional}]_{rv} &= \begin{cases} \top & \text{if } 0 < i \leq n \wedge \sigma_0^n(i-1) = \sigma_0^n(i) \\ & \wedge \sigma_0^n(i-1) \xrightarrow{\text{ope}} \sigma_0^n(i) \in \rightarrow \\ \perp & \text{otherwise} \end{cases} \\
 [\sigma_0^n(i) \models \text{ope terminates}]_{rv} &= \begin{cases} \top & \text{if } \text{ope normal} \vee \text{ope exceptional} \\ \perp & \text{otherwise} \end{cases}
 \end{aligned}$$

$$\begin{aligned}
 [\sigma_0^n \models \text{always conf}]_{rv} &= \begin{cases} \perp & \text{if } \exists i. (0 \leq i \leq n \wedge [\sigma_0^n(i) \models \text{conf}]_{rv} = \perp) \\ \top^p & \text{otherwise} \end{cases} \\
 [\sigma_0^n \models \text{eventually conf}]_{rv} &= \begin{cases} \top & \text{if } \exists i. (0 \leq i \leq n \wedge [\sigma_0^n(i) \models \text{conf}]_{rv} = \top) \\ \perp^p & \text{otherwise} \end{cases} \\
 [\sigma_0^n \models \text{trace}_1 \wedge \text{trace}_2]_{rv} &= [\sigma_0^n \models \text{trace}_1]_{rv} \sqcap [\sigma_0^n \models \text{trace}_2]_{rv} \\
 [\sigma_0^n \models \text{trace}_1 \vee \text{trace}_2]_{rv} &= [\sigma_0^n \models \text{trace}_1]_{rv} \sqcup [\sigma_0^n \models \text{trace}_2]_{rv}
 \end{aligned}$$

$$\begin{aligned}
 [\sigma_0^n \models \text{after event temp}]_{rv} &= \begin{cases} \top^p & \text{if } \forall i. (0 \leq i \leq n \wedge [\sigma_0^n(i) \models \text{event}]_{rv} = \top \\ & \Rightarrow [\sigma_0^n(i) \models \text{temp}]_{rv} = \top) \vee \forall i. (0 < i \leq n \\ & \Rightarrow [\sigma_0^n(i) \models \text{event}]_{rv} = \perp) \\ \perp & \text{if } \exists i. (0 \leq i \leq n \wedge [\sigma_0^n(i) \models \text{event}]_{rv} = \top \\ & \wedge [\sigma_0^n(i) \models \text{temp}]_{rv} = \perp) \\ \perp^p & \text{if } \exists i. (0 \leq i \leq n \wedge [\sigma_0^n(i) \models \text{event}]_{rv} = \top \\ & \wedge [\sigma_0^n(i) \models \text{temp}]_{rv} = \perp^p) \end{cases} \\
 [\sigma_0^n \models \text{before event trace}]_{rv} &= \begin{cases} \top^p & \text{if } \forall i. (0 < i \leq n \wedge [\sigma_0^n(i) \models \text{event}]_{rv} = \top \\ & \Rightarrow [\sigma_0^{i-1} \models \text{trace}]_{rv} \in \{\top, \top^p\}) \vee \\ & \forall i. (0 < i \leq n \Rightarrow [\sigma_0^n(i) \models \text{event}]_{rv} = \perp) \\ \perp & \text{if } \exists i. (0 < i \leq n \wedge [\sigma_0^n(i) \models \text{event}]_{rv} = \top \\ & \wedge [\sigma_0^{i-1} \models \text{trace}]_{rv} \in \{\perp, \perp^p\}) \end{cases} \\
 [\sigma_0^n \models \text{trace until event}]_{rv} &= \begin{cases} \top^p & \text{if } \forall i. (0 < i \leq n \wedge [\sigma_0^n(i) \models \text{event}]_{rv} = \top \\ & \Rightarrow [\sigma_0^{i-1} \models \text{trace}]_{rv} \in \{\top, \top^p\}) \\ \perp & \text{if } ([\sigma_0^n \models \text{trace}]_{rv} = \perp) \vee \\ & (\exists i. (0 < i \leq n \wedge [\sigma_0^n(i) \models \text{event}]_{rv} = \top \\ & \wedge [\sigma_0^{i-1} \models \text{trace}]_{rv} = \perp^p)) \\ \perp^p & \text{if } \forall i. (0 < i \leq n \Rightarrow [\sigma_0^n(i) \models \text{event}]_{rv} = \perp) \end{cases}
 \end{aligned}$$

Intéret : On n'a pas besoin d'avoir un historique

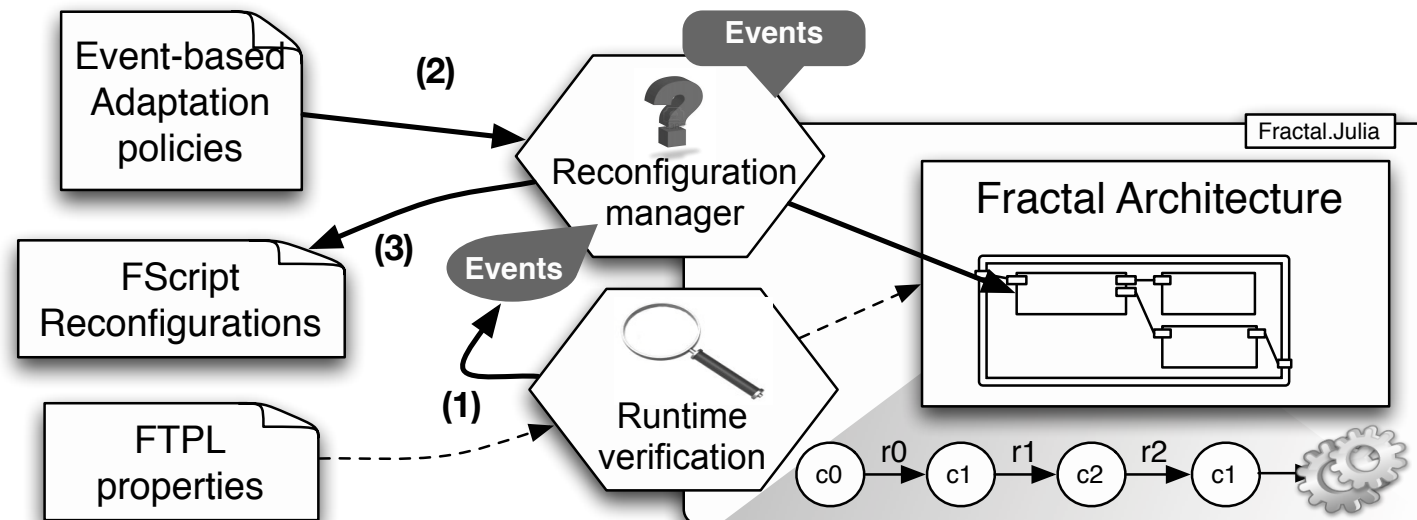
Expérimentations

The screenshot displays a GUI application with the following components:

- Components Panel:** A tree view showing a project structure for 'Cherokee'. It includes folders for 'RequestReceiver', 'RequestHandler', 'RequestDispatch', and 'CacheHandler'. Under 'CacheHandler', there are files for 'content: CacheHandlerImpl.java' and 'attributes: CacheHandlerAttributes.java'.
- Code Editor:** Displays the source code for 'CacheHandlerImpl.java'. The code defines a class that implements 'CacheAttributes' and 'CacheHandler'. It includes private fields for 'validityDuration', 'size', 'cache', and 'logFile', and a public constructor 'CacheHandlerImpl()'.
- Terminal:** Shows the output of a Java execution. The logs indicate the start of an HTTP server, initialization of the FTPL controller, and the loading of the Cherokee server. It also shows the execution of 'removeCacheHandler(\$context);' and 'addCacheHandler(\$context);' with associated FTPL property evaluations.
- Reconfigurations Panel:** Lists several fscript files: 'addCache.fscript', 'addFileServer.fscript', 'removeCache.fscript', and 'removeFileServer.fscript'.
- Buttons:** 'clear' and 'autoScroll ON/OFF' buttons are located at the bottom of the terminal area.

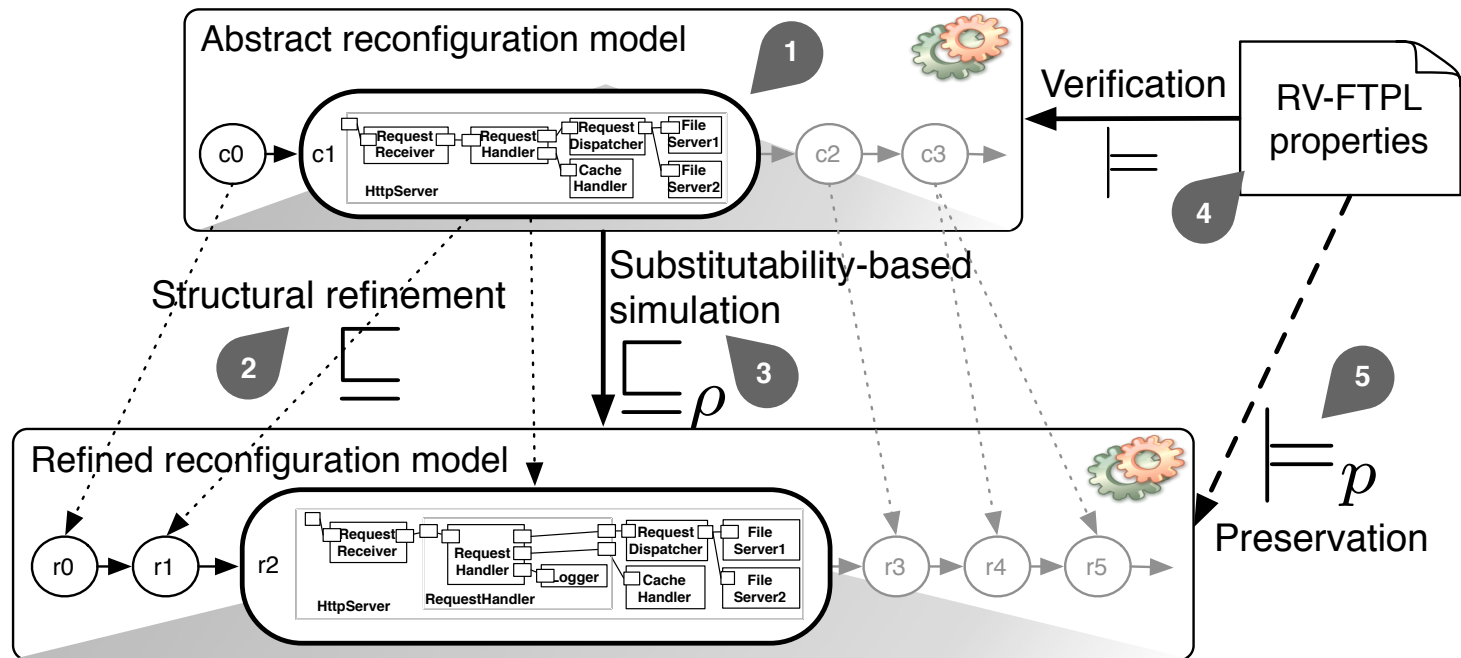
Guider le choix des reconfigurations ??

- Les réponses $\perp p / \top p$ peuvent guider le choix d'une reconfiguration

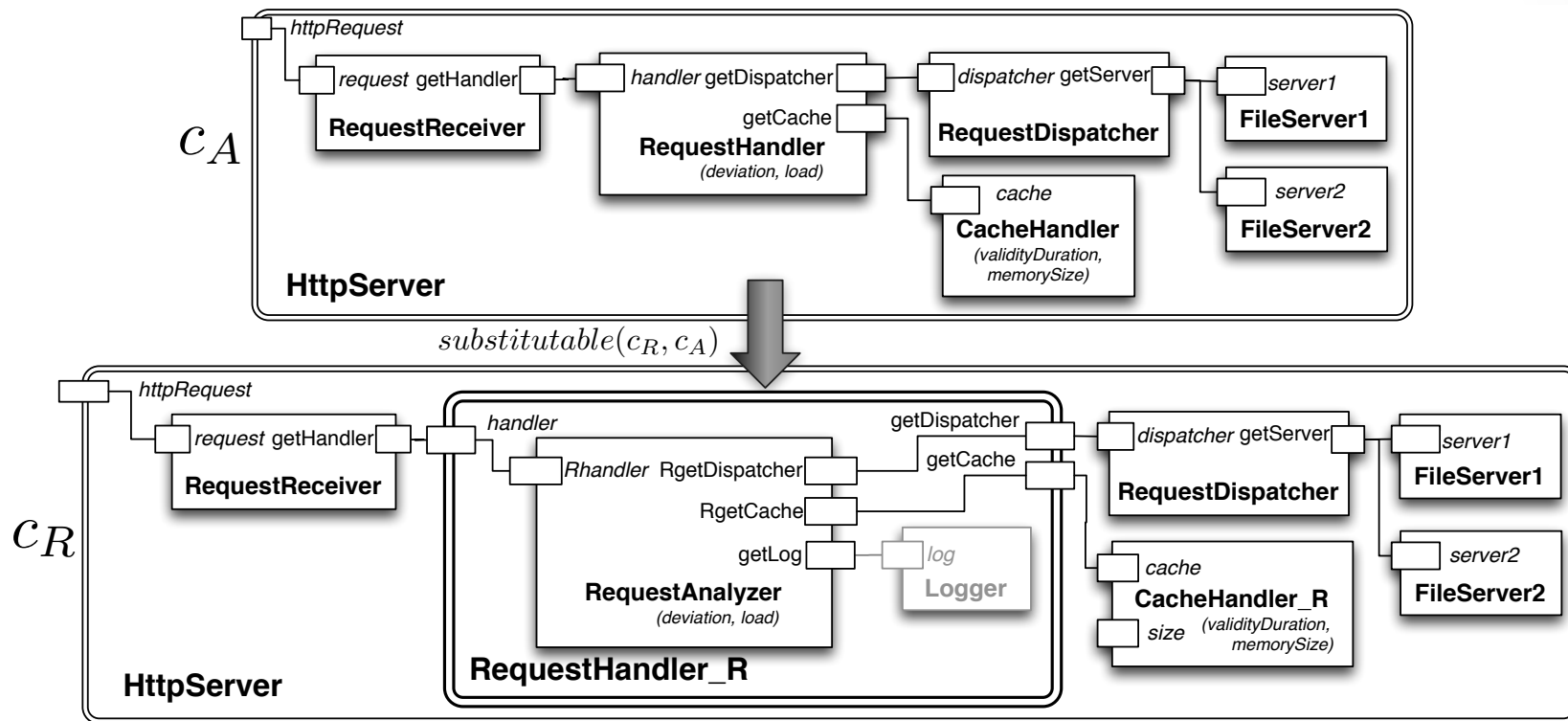


Evolution de l'architecture

= substitution/raffinement de certains composants

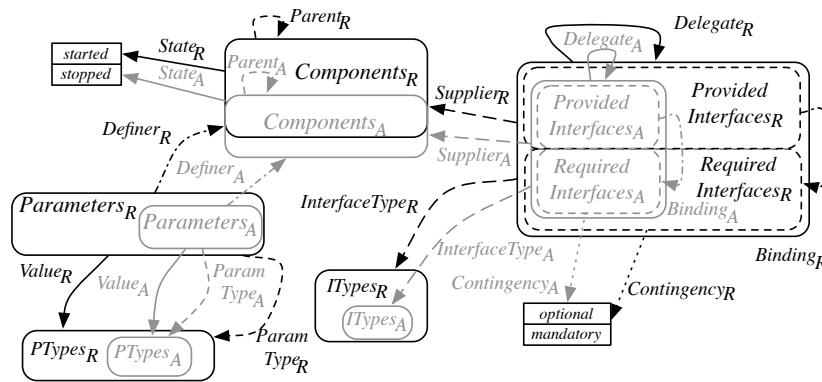


Exemple de raffinement structurel



Raffinement structurel

- Fonction de substitution :
 - Subst : ComponentA -> ComponentR



- Contraintes de substitution SC

$$Parameters_A \subseteq Parameters_R \wedge PTypes_A \subseteq PTypes_R \text{ (SC.1)}$$

$$\forall p. (p \in Parameters_A \Rightarrow (ParamType_A(p) = ParamType_R(p) \wedge Value_A(p) = Value_R(p))) \text{ (SC.2)}$$

$$\forall p. \left(p \in Parameters_R \setminus Parameters_A \Rightarrow \frac{Container_R(p) \in Components_R \wedge \forall c_A. (c_A \in Components_A \setminus Components_R \Rightarrow Subst(c_A) \neq Container_R(p))}{\setminus Components_A} \right) \text{ (SC.3)}$$

$$\forall c. (c \in Components_A \cap Components_R \Rightarrow State_A(c) = State_R(c)) \text{ (SC.4)}$$

$$\forall c \in Components_A \cap Components_R, \forall p \in Parameters_A. (Container_A(p) = c \Rightarrow Container_R(p) = c) \text{ (SC.5)}$$

$$\forall c \in Components_A \cap Components_R, \forall i \in Interfaces_A. (Container_A(i) = c \Rightarrow Container_R(i) = c) \text{ (SC.6)}$$

$$\forall c \in Components_A \cap Components_R. \left((c, c') \in Parent_A \Rightarrow \left(\begin{array}{l} c' \in Components_R \wedge (c, c') \in Parent_R \\ \vee \\ c' \notin Components_R \wedge \\ \exists c'' \in Components_R \setminus Components_A. \\ (Subst(c') = c'' \wedge (c, c'') \in Parent_R) \end{array} \right) \right) \text{ (SC.7)}$$

$$\forall c_A. (c_A \in Components_A \setminus Components_R \Rightarrow (\exists c_R \in Components_R \setminus Components_A. (Subst(c_A) = c_R))) \text{ (SC.8)}$$

$$\forall c_A \in Components_A \setminus Components_R, \forall c_R \in Components_R \setminus Components_A. (Subst(c_A) = c_R \Rightarrow State_A(c_A) = State_R(c_R)) \text{ (SC.9)}$$

$$\forall c_A \in Components_A \setminus Components_R, \forall c_R \in Components_R \setminus Components_A. (Subst(c_A) = c_R \Rightarrow (\forall i \in Interfaces_A. Container_A(i) = c_A \Rightarrow Container_R(i) = c_R)) \text{ (SC.10)}$$

$$\forall c_A \in Components_A \setminus Components_R, \forall c_R \in Components_R \setminus Components_A. \left(\begin{array}{l} Container_R(p) = c_R \\ \vee \\ \wedge Container_A(p) = c_A \Rightarrow \\ (\exists c'_R \in Components_R \setminus Components_A. \\ ((c'_R, c_R) \in Parent^+ \wedge Container_R(p) = c'_R)) \end{array} \right) \text{ (SC.11)}$$

$$\forall c_A \in Components_A \setminus Components_R, \forall c_R \in Components_R \setminus Components_A. \left(\begin{array}{l} Subst(c_A) = c_R \\ \vee \\ c'_A \notin Components_R \wedge \\ \exists c'_R \in Components_R \setminus Components_A. \\ ((c_R, c'_R) \in Parent \wedge Subst(c'_A) = c'_R) \end{array} \right) \text{ (SC.12)}$$

$$\forall c_R \in Components_R \setminus Components_A. (Subst(c_A) \neq c_R \Rightarrow (\exists c'_R \in Components_R \setminus Components_A. ((c_R, c'_R) \in Parent))) \text{ (SC.13)}$$

$$ITypes_A \subseteq ITypes_R \wedge Interfaces_A \subseteq Interfaces_R \text{ (SC.14)}$$

$$\wedge ProvInterfaces_A \subseteq ProvInterfaces_R \wedge ReqInterfaces_A \subseteq ReqInterfaces_R$$

$$\forall i. (i \in Interfaces_A \Rightarrow InterfaceType_A(i) = InterfaceType_R(i)) \text{ (SC.15)}$$

$$\forall i. (i \in ReqInterfaces_A \Rightarrow Contingency_A(i) = Contingency_R(i)) \text{ (SC.16)}$$

$$\forall i. \left(i \in ReqInterfaces_R \setminus ReqInterfaces_A \Rightarrow \frac{Container_R(i) \in Components_R \wedge \forall c_A. (c_A \in Components_A \setminus Components_R \Rightarrow Subst(c_A) \neq Container_R(i))}{\setminus Components_A} \right) \text{ (SC.17)}$$

$$\forall i. (i \in ProvInterfaces_R \setminus ProvInterfaces_A \Rightarrow Container_R(i) \in Components_R \setminus Components_A) \text{ (SC.18)}$$

$$\forall pi \in ProvInterfaces_A. (Binding_A(pi) = ri \Rightarrow Binding_R(pi) = r) \text{ (SC.19)}$$

$$\forall i, i' \in Interfaces_A. (Delegate_A(i) = i' \Rightarrow Delegate_R(i) = i) \text{ (SC.20)}$$

$$\forall pi \in ProvInterfaces_R, \forall ri \in ReqInterfaces_R. \left((Binding_R(pi) = ri \wedge Binding_A(pi) \neq ri) \Rightarrow (\exists ri \in ReqInterfaces_R \setminus ReqInterfaces_A) \right) \text{ (SC.21)}$$

$$\forall i, i' \in Interfaces_R. \left(\begin{array}{l} Delegate_R(i) = i' \\ \wedge Delegate_A(i) \neq i' \end{array} \Rightarrow \left(\begin{array}{l} i \in Interfaces_R \setminus Interfaces_A \\ \vee \\ i' \in Interfaces_R \setminus Interfaces_A \\ \wedge \\ i' \in Interfaces_A \wedge \\ \exists c_A \in Components_A \setminus Components_R. \\ (Subst(c_A) = Container_R(i')) \end{array} \right) \right) \text{ (SC.22)}$$

Simulation entre séquences de reconfigurations

- (i) Raffinement structurel
- (ii) Simulation stricte
- (iii) Tau-simulation
- (iv) Non divergence
- (v) Non nouveau blocage

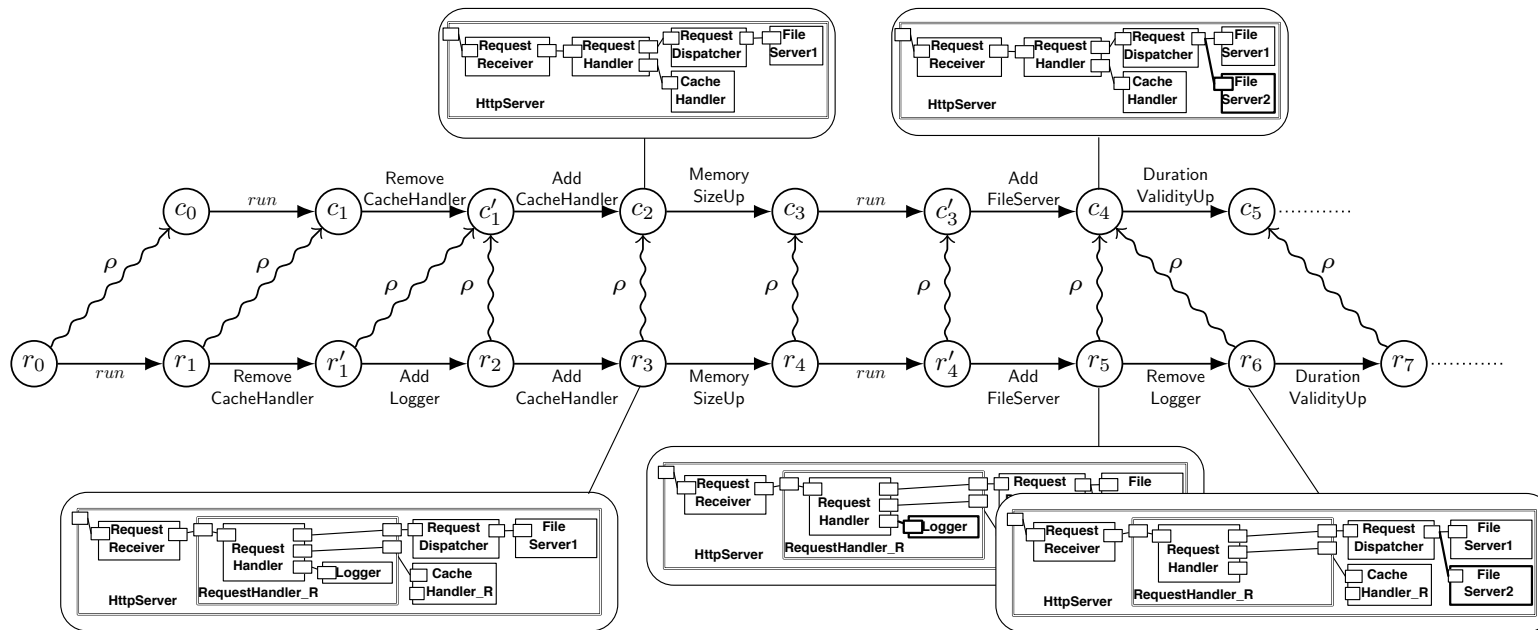
$$c_R \sqsubseteq c_A \text{ (i)}$$

$$\forall c'_R \in \mathcal{C}_R. (c_R \xrightarrow{ope} c'_R \Rightarrow \exists c'_A \in \mathcal{C}_A. (c_A \xrightarrow{ope} c'_A \wedge c'_R \rho c'_A)) \text{ (ii)}$$

$$\forall c'_R \in \mathcal{C}_R. (c_R \xrightarrow{ope'} c'_R \Rightarrow c'_R \rho c_A) \text{ (iii)}$$

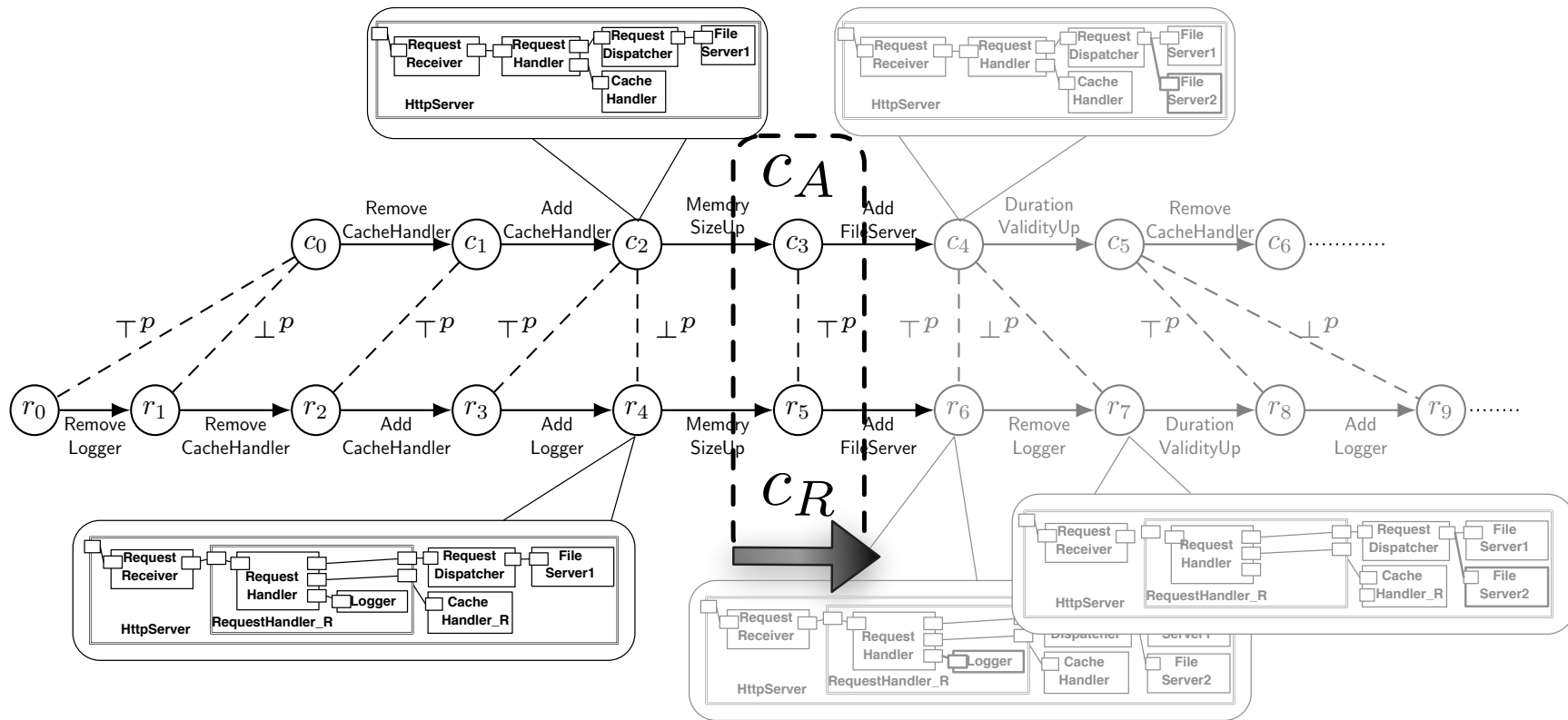
$$\forall c'_R \in \mathcal{C}_R, \forall k. (k \geq 0 \wedge (c_R =) \sigma_R(k) \xrightarrow{ope'} \sigma_R(k+1) = c'_R \Rightarrow \exists k'. (k' > k \wedge \sigma_R(k' - 1) \xrightarrow{ope} \sigma_R(k')) \text{ (iv)}$$

$$\forall c_A \in \mathcal{C}_A, \forall c_R \in \mathcal{C}_R. (c_R \rho c_A \wedge c_R \not\rightarrow \Rightarrow c_A \not\rightarrow) \text{ (v)}$$



En pratique, ce n'est pas vérifiable

Evaluation à l'exécution

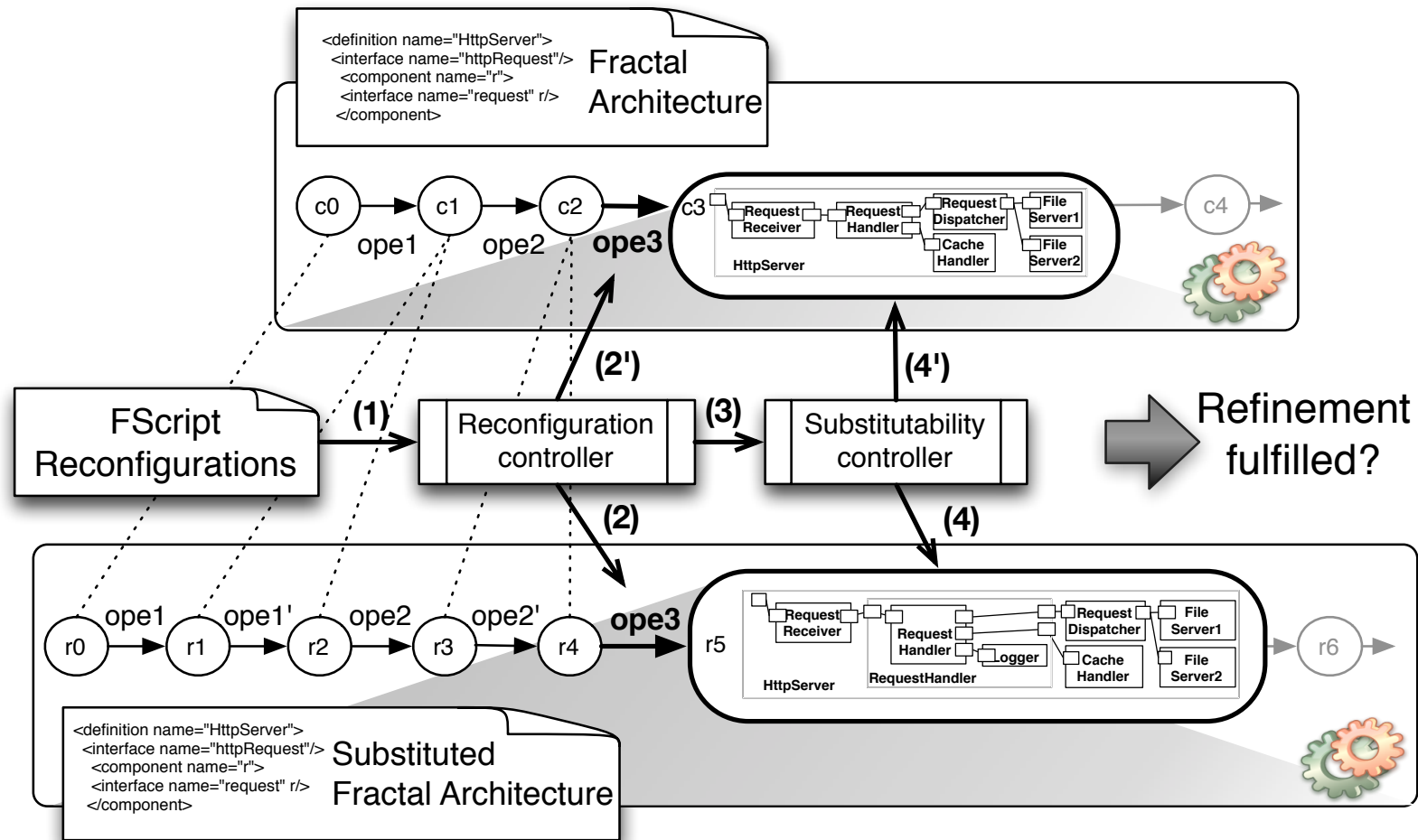


Algorithme de vérification (à la volée)

Algorithm 1: Path substitutability

```
1 Data:  $c_R^0 \in \mathcal{C}_R^0$ ,  $c_A^0 \in \mathcal{C}_A^0$ ,  $\mathcal{R}_R$  and  $\mathcal{R}_A$ 
2 Result:  $res \in \{\perp, \top\}$ , if terminates
3  $c_R \leftarrow c_R^0$ ;
4  $c_A \leftarrow c_A^0$ ;
5 while  $\top$  do
6   if substitutable( $c_R$ ,  $c_A$ ) then
7      $\mathcal{E}_R \leftarrow \text{enabled}(c_R, \mathcal{R}_R)$ ;
8      $\mathcal{E}_A \leftarrow \text{enabled}(c_A, \mathcal{R}_A)$ ;
9     if  $\mathcal{E}_R = \emptyset$  then
10      if  $\mathcal{E}_A = \emptyset$  then  $res \leftarrow \top$ ; break;
11      else  $res \leftarrow \perp$ ; break;
12      end if
13    else
14       $ope \leftarrow \text{pick-up}(\mathcal{E}_R)$ ;
15       $c_R \leftarrow \text{apply}(ope, c_R)$ ;
16      if  $ope \in \mathcal{R}_R \setminus \mathcal{R}_A$  then print( $\perp^p$ );
17      else if  $ope \in \mathcal{R}_R \cap \mathcal{R}_A$  and  $ope \in \mathcal{E}_A$  then
18         $c_A \leftarrow \text{apply}(ope, c_A)$ ;
19        print( $\top^p$ )
20      else  $res \leftarrow \perp$ ; break;
21      end if
22    end if
23  else  $res \leftarrow \perp$ ; break;
24  end if
25 end while
```

Expérimentation



Validation par animation

